# Probabilistic Parsing: Issues \& Improvement 

LING 571 - Deep Processing Techniques for NLP
October 19, 2020
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## Announcements

- HW2 grades posted
- Reference code soon available in
- /dropbox/20-21/571/hw2/reference_code
- NB: not needed for HW3; you can assume that all grammars are already in CNF


## Homework Tips

- Use nltk. load for reading grammars; will save you and TA time and headaches
- Run your code on patas to produce the output you submit in TAR file
- Some discrepancies found that seem due to different environment
- When in doubt, use full paths to python binaries, etc
- readme. \{txt|pdf\}: this should NOT be inside your TAR file, but a separate upload on Canvas


## Notes on HW \#3

- Python's range has many use cases by manipulating start/end, and step
- range $(\mathrm{n})$ is equivalent to range ( $0, \mathrm{n}, 1$ )
- Reminder: the rhs= argument in NLTK's grammar . productions ( ) method only matches the first symbol, not an entire string
- You'll want to implement an efficient look-up based on RHS
- HW3: compare your output to running HW1 parser on the same grammar/ sentences
- order of output in ambiguous sentences could differ


## Language Does the Darnedest Things

## Just in case your wondering.

This is a ship -shipping ship , shipping shipping ships.


## PCFG Induction

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- Alternative: Learn probabilities by re-estimating
- (Later)














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- Lack of Lexical Conditioning
- Lexical items should influence the choice of analysis


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Semantic Role of NPs in Switchboard Corpus
Pronomial Non-Pronomial

| Subject | $91 \%$ | $9 \%$ |
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...Can try parent annotation


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## Issues with PCFGs: Lexical Conditioning

- workers dumped sacks into a bin
- into should prefer modifying dumped
- into should disprefer modifying sacks
- fishermen caught tons of herring
- of should prefer modifying tons
- of should disprefer modifying caught


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```
NP -> NP Conj NP
N P \rightarrow N P P P
Noun -> "dogs"
PP }->\mathrm{ Prep NP
Prep -> "in"
NP-> Noun
Noun -> "houses"
Conj }->\mathrm{ "and"
NP }->\mathrm{ Noun
Noun -> "cats"
Same Rules!
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## Improving PCFGs

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- Parent Annotation
- Lexicalization
- Markovization
- Reranking


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- Captures structural dependencies in grammar
- Disadvantages:
- Explodes number of rules in grammar
- Same problem with subcategorization
- Results in sparsity problems
- Strategies to find an optimal number of splits
- Petrov et al (2006)


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## Improving PCFGs: Lexical "Heads"

- Remember back to syntax intro (Lecture \#1)
- Phrases are "headed" by key words
- VP are headed by V
- NP by NN, NNS, PRON
- PP by PREP
- We can take advantage of this in our grammar!


## Improving PCFGs: Lexical Dependencies

- As we've seen, some rules should be conditioned on certain words
- Proposal: annotate nonterminals with lexical head

$$
\begin{aligned}
& V P \rightarrow V B D N P P P \\
& V P(\text { dumped }) \rightarrow V B D(\text { dumped }) N P(\text { sacks }) P P(\text { into })
\end{aligned}
$$

- Additionally: annotate with lexical head + POS
$V P($ dumped, $\boldsymbol{V B} \boldsymbol{D}) \rightarrow V B D($ dumped, VBD) $N P($ sacks, $N \boldsymbol{N} \boldsymbol{N} \boldsymbol{S}) P P($ into, $\boldsymbol{I N})$


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- Upshot: heads propagate up tree:
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## Improving PCFGs: Lexical Dependencies

- Downside:
- Rules far too specialized - will be sparse
- Solution:
- Assume conditional independence
- Create more rules


## Improving PCFGs: Collins Parser

- Proposal:
- LHS $\rightarrow$ LeftOfHead ... Head ... RightOfHead
- Instead of calculating $P($ EntireRule), which is sparse:
- Calculate:
- Probability that $L H S$ has nonterminal phrase $H$ given head-word $h w . .$.
- $\times$ Probability of modifiers to the left given head-word $h w \ldots$
- $\times$ Probability of modifiers to the right given head-word $h w .$. .


## Collins Parser Example



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$P(V P \rightarrow V B D N P P P \mid V P$, dumped $)$

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\begin{aligned}
& P(V P \rightarrow V B D \text { NP PP } \mid V P, \text { dumped }) \\
& =\frac{\text { Count }(V P(\text { dumped }) \rightarrow V B D N P P P)}{\Sigma_{\beta} \text { Count }(V P(\text { dumped }) \rightarrow \beta)}
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& =\frac{0}{0}
\end{aligned}
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## Improving PCFGs

- Parent Annotation
- Lexicalization
- Markovization
- Reranking


## CNF Factorization \& Markovization

- CNF Factorization:
- Converts n-ary branching to binary branching
- Can maintain information about original structure
- Neighborhood history and parent


## Different Markov Orders



## Markovization and Costs

| PCFG | Time(s) | Words/s | (V\| | \|P| | LR | LP | FI |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| Right-factored | 4848 | 6.7 | 10105 | 23220 | 69.2 | 73.8 | 71.5 |
| Right-factored, Markov order-2 | 1302 | 24.9 | 2492 | 11659 | 68.8 | 73.8 | 71.3 |
| Right-factored, Markov order-I | 445 | 72.7 | 564 | 6354 | 68.0 | 730 | 70.5 |
| Right-factored, Markov order-0 | 206 | 157.1 | 99 | 3803 | 61.2 | 65.5 | 63.3 |
| Parent-annotated, Right-factored, Markov order-2 | 7510 | 4.3 | 5876 | 22444 | 76.2 | 78.3 | 77.2 |

from Mohri \& Roark 2006

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## Reranking

- Issue: Locality
- PCFG probabilities associated with rewrite rules
- Context-free grammars are, well, context-free
- Previous approaches create new rules to incorporate context
- Need approach that incorporates broader, global info


## Discriminative Parse Reranking

- General approach:
- Parse using (L)PCFG
- Obtain top-N parses
- Re-rank top-N using better features
- Use discriminative model (e.g. MaxEnt) to rerank with features:
- right-branching vs. left-branching
- speaker identity
- conjunctive parallelism
- fragment frequency


## Reranking Effectiveness

- How can reranking improve?
- Results from Collins and Koo (2005), with 50-best

| System | Accuracy |
| :---: | :---: |
| Baseline | 0.897 |
| Oracle | 0.968 |
| Discriminative | 0.917 |

- "Oracle" is to automatically choose the correct parse if in N -best


## Improving PCFGs: Tradeoffs

- Pros:
- Increased accuracy/specificity
- e.g. Lexicalization, Parent annotation, Markovization, etc
- Cons:
- Explode grammar size
- Increased processing time
- Increased data requirements
- How can we balance?


## Improving PCFGs: Efficiency

- Beam thresholding
- Heuristic Filtering


## Efficiency

- PCKY is $|G| \cdot n^{3}$
- Grammar can be huge
- Grammar can be extremely ambiguous
- Hundreds of analyses not unusual
- ...but only care about best parses
- Can we use this to improve efficiency?


## Beam Thresholding

- Inspired by Beam Search
- Assume low probability parses unlikely to yield high probability overall
- Keep only top k most probable partial parses
- Retain only k choices per cell
- For large grammars, maybe 50-100
- For small grammars, 5 or 10


## Heuristic Filtering

- Intuition: Some rules/partial parses unlikely to create best parse
- Proposal: Don't store these in table.
- Exclude:
- Low frequency: e.g. singletons
- Low probability: constituents $\boldsymbol{X}$ s.t. $P(\boldsymbol{X})<10^{-200}$
- Low relative probability:
- Exclude $\boldsymbol{X}$ if there exists $\boldsymbol{Y}$ s.t. $P(\boldsymbol{Y})>100 \times P(\boldsymbol{X})$

